

# Compact and highly-efficient polarization independent vertical resonant couplers for active-passive monolithic integration

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**Abstract:** Compact low-loss polarization independent vertical coupling between a 1.55  $\mu\text{m}$  InGaAsP bulk active waveguide and a passive waveguide based on bimodal interference is presented. Simulation results show low coupling loss ( $<0.1$  dB) over coupler lengths more than 5 times shorter than using the adiabatic design. The concept avoids submicron photolithographic features and shows acceptable fabrication tolerances.

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**OCIS codes:** (130.0130) Integrated optics; (130.2790) Guided waves; (130.1750) Components.

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## 1. Introduction

The route forward for photonics is, just as it was for electronics, the integration of multifunctional and highly optimized devices in a single chip in order to realize high

performance components required in next generation lightwave communication systems. Planar monolithic integration is the way to integrate as much as possible the different active and passive functionalities of the opto-electronical component on a single substrate, resulting in small and compact units. It offers higher reliability due to the elimination of mechanical movements among the elements and a significant reduction in production cost due to the batch processing of wafers.

Over the past years several active-passive integration techniques have been developed. Butt-joint regrowth [1], selective area growth [2], quantum well intermixing [3] and offset quantum wells [4] are complex and expensive technologies that result in high cost devices and/or low yields. Suematsu, et al. [5] proposed the integrated twin-guide structure, where the active and passive functions are separated into two different vertically displaced waveguides, eliminating the need for material regrowth or any post-growth processing. Nevertheless, both waveguides have to be phase matched to transfer power by resonant coupling of the two supermodes, and a compromise in the device performance has to be defined because the active and passive functionalities cannot be optimized separately.

In [6-10] the authors propose the use of asymmetric twin-waveguides (ATG) with taper couplers. They utilize an active waveguide with a higher effective index than the passive waveguide, making them strongly asymmetric. Under this condition the even mode dominates in the active devices due to its larger gain and the odd mode is never excited, allowing the independent optimization of the active devices. The power transfer to the passive waveguide is realized using a lateral tapering of the active waveguide. However, although the authors in [6-9] suggest there is a resonant point where the effective indices of the two guides are matched, they do not describe the underlying physics governing the power transfer and it is not clear the power exchange between the modes supported by the structure. Fully adiabatic approaches [10] imply rather long designs ( $\sim 150\text{ }\mu\text{m}$ ) and sub-micron final taper tips ( $\sim 0.5\text{ }\mu\text{m}$ ), which are difficult to achieve by standard lithography.

In this paper, we propose an approach for the monolithic integration of InGaAsP active and passive waveguides fully based on bimodal interference between the two supermodes supported by the vertical structure formed by the active waveguide and the passive waveguide. This concept provides higher performance than the devices proposed so far, over a considerably shorter length and without the need of sub-micron lithography. In Section 2 we present the concept for fully resonant couplers. In Section 3 we outline the waveguide structure and coupler design. In Section 4 we present the simulation results on mode transformation efficiency, as well as a tolerance analysis for width, etching depth and alignment variations. Finally, in Section 5 we provide the summary and conclusions.

## 2. Concept

Figure 1(a) shows a simplified two dimensional representation of the adiabatic mode transformation produced in a tapered ATG (the lateral tapering of the real tapers is shown as a vertical tapering in the figure for clarity purposes). The mode generated in the upper active waveguide is in fact the even supermode  $\psi_e$  of the complete structure formed by the active and the passive waveguides. In an adiabatic taper all the power remains in this mode while it is being transformed (see Fig. 1(a)). The odd supermode  $\psi_o$  supported by the structure is not excited in the adiabatic regime and when the tapered upper rib waveguide reaches cut-off due to the tapering, this mode  $\psi_o$  is not a guided mode any more and becomes a radiation mode.

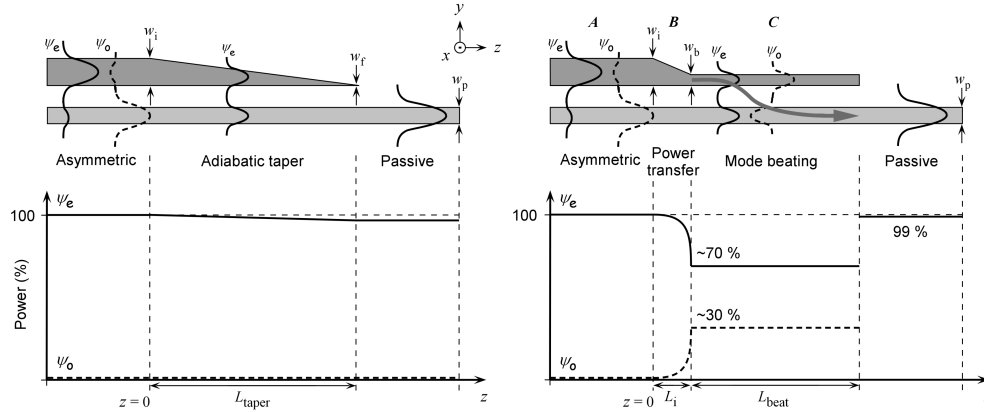


Fig. 1. (a). In the adiabatic mode transformation concept, the even supermode  $\psi_e$  of the taper is smoothly transformed into the passive mode without losing any power. (b) In the bimodal interference taper concept the fundamental supermode  $\psi_e$  transfers power to the odd one  $\psi_o$ , and the interference between them couples the field in the passive waveguide.

The mode transformation concept based on the bimodal interference between the two guided supermodes of the twin structure is schematically shown in Fig. 1(b). In region A all the power is carried by the even mode  $\psi_e$ . The odd mode  $\psi_o$  is also shown, although it is not excited in the active section. In region B, an abrupt tapering of the waveguide provokes the transfer of part of the power from the fundamental even mode  $\psi_e$  to the odd mode  $\psi_o$  of the structure. In the straight section of region C the two modes propagate without loss and interfere. At the beginning of region C the field is concentrated in the upper active waveguide, but when the supermodes reach the beating length (when their phase difference  $\Delta\phi = \pi$ ), the power is concentrated in the lower passive waveguide and matches perfectly the mode of the individual passive waveguide.

The technique used to transfer power from the even eigenmode  $\psi_e$  to the odd one  $\psi_o$  can be understood by coupled-mode theory. In the classical equation of coupled-mode theory it is assumed that the transfer of power from the fundamental mode of a non-adiabatic taper will be predominantly to the higher order mode with a propagation constant closest to that of the fundamental mode [11]. In the case we are considering this power-receiving mode is the odd supermode  $\psi_o$ . Therefore, using slopes that are beyond the adiabatic critical slope in region B we force the power transfer between the fundamental even mode  $\psi_e$  and the odd mode  $\psi_o$ . However, if the slope of this tapering is too sharp, we will have undesired radiation to higher-order modes that decrease the coupler efficiency [12]; thus a compromise between intermodal power transfer and coupler efficiency has to be found.

### 3. Design

The transverse structure of the proposed vertical coupler is shown in Fig. 2(a) and is the same waveguide structure as developed for the Joint European Platform for InP-based Photonic Integrated Components and Circuits (JePPIX) within the European FP6 Network of Excellence ePIXnet [13]. The component consists of a 0.5- $\mu\text{m}$ -thick InGaAsP layer (with a bandgap cutoff wavelength of  $\lambda_g = 1.25 \mu\text{m}$ ), an InP separation layer of thickness  $d$ , and an active waveguide containing a bulk core of 120-nm-thick quaternary material for emission at 1.55  $\mu\text{m}$  (Q1.55) surrounded by 190-nm-thick undoped confining layers having the same composition as the passive core (Q1.25). The three dimensional (3D) schematic of the ATG laser with resonant taper coupler is shown in Fig. 2(b). The width of the active and passive waveguide is 2  $\mu\text{m}$  and 2.9  $\mu\text{m}$ , respectively.



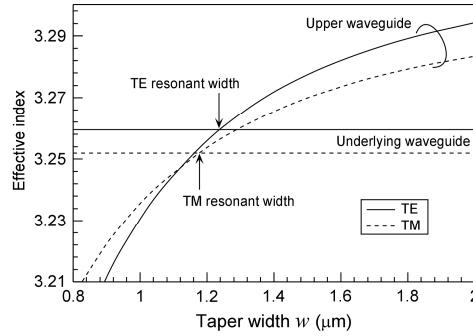


Fig. 3. Effective indexes of the coupled waveguide for TE and TM modes at various taper widths.

Table 1 shows the calculated optimum parameters for several values of the intermediate InP layer thickness  $d$  (0.3, 0.5 and 0.7  $\mu\text{m}$ ) and for polarization independent transformation. A fully numerical simulation method has been employed to strength the proposed designs. Using a commercial 3D beam propagation method software [15] for verification, identical results as the ones provided by the mode propagation tool were obtained.

**Table 1. Design parameters for three polarization independent resonant couplers.**

$d$	0.3	0.5	0.7
$L_i$	5	5	5
$w_b$	1.04	1.18	1.23
$L_{\text{beat}}$	19	44	85

Figure 4 shows the top ( $x$ - $z$ ) and lateral ( $y$ - $z$ ) plot of the total field (including reflections) transforming along the coupler. TE polarization and a thickness of the separation InP layer  $d = 0.5 \mu\text{m}$  have been considered for propagation. Very good field transformation is confirmed between both vertical waveguides and no coupling to radiation modes is observed.

The upper row of Fig. 5 shows the field distribution at three points in the coupler during propagation. We observe how the field generated in the active waveguide and entering region  $B$  keeps its shape in the upper waveguide at the end of the power transfer section  $B$ . This field distribution excites very efficiently the two guided supermodes in the beating section  $C$  in a rate of 70:30, coupling less than 0.05 dB to radiation modes (see lower row of Fig. 5). As the two supermodes propagate in the straight section  $C$ , they interfere and for the correct coupling length result in a field distribution that matches the passive mode, losing only 0.05 dB more.

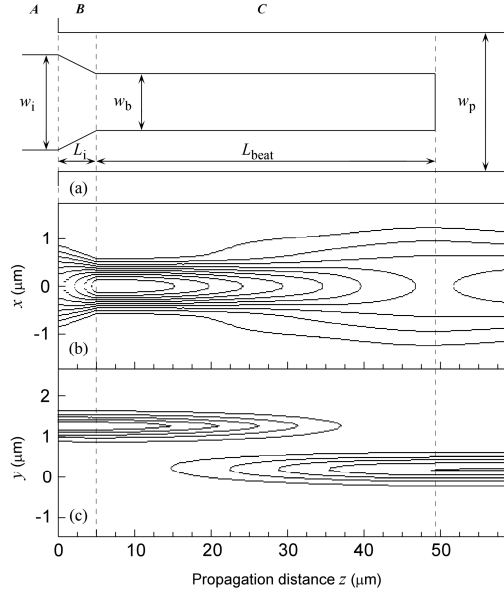


Fig. 4. Average TE field distribution as a function of the distance for the taper shape shown in (a). (b) Top view or  $x$ - $z$  cut, (c) lateral view or  $y$ - $z$  cut. Fimmwave was used for propagation.

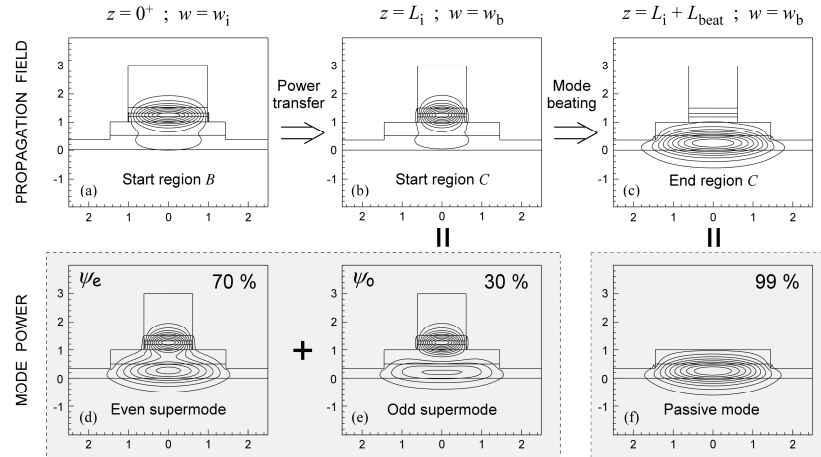


Fig. 5. (a), (b) (c) Transversal field distributions for a propagation run. (d), (e), (f) Modal field distributions at points (b) and (c). TE polarization was used in the simulation run. More insight is detailed in the text.

#### 4. Simulation results

Table 2 shows all simulation results for the three different designs described in Table 1 ( $d = 0.3, 0.5$  and  $0.7 \mu\text{m}$ ), and for both polarizations TE and TM. The presence of the vertically stacked passive core close to the active waveguide in the ATG structure alters the shape of its fundamental mode spreading it and reducing the confinement factor  $\eta$  in the bulk quaternary Q1.55 material. The confinement values calculated in Table 2 have to be compared to the confinement factor of the individual active waveguide, which is 0.264 and 0.208 for TE and TM, respectively. It is obvious that the smaller the thickness of the intermediate layer  $d$ , the smaller the confinement factor  $\eta$ . Nevertheless, the reduction is smaller than a 13% for TE

polarized mode light and  $d = 0.3 \mu\text{m}$ , and less than 18% for TM polarized mode in the same case, keeping practical values for efficient gain. Moreover, the width  $w_i$  of the active waveguide is a free parameter which could be augmented to increase the confinement factor with negligible effect in the performance of the coupler. This would be possible since the modal power transfer of region  $B$  is mainly produced in the narrower part of the taper.

**Table 2. Simulation results for the three designs corresponding to different InP separation layer thicknesses  $d$ .**

	TE			TM			units
$d$	0.3	0.5	0.7	0.3	0.5	0.7	$\mu\text{m}$
$\eta$	0.230	0.255	0.259	0.172	0.199	0.202	–
$\kappa$	86:14	95:05	99:01	82:18	93:07	98:02	–
$M$	65:34	59:41	57:42	80:19	76:23	75:24	–
$T$	98	96	90	98	95	90	%
$L_{\text{total}}$	24	49	90	24	49	90	$\mu\text{m}$
$w_b$	1.05	1.16	1.23	1.05	1.16	1.23	$\mu\text{m}$
$L_{\text{adia}}$	115	195	255	140	245	272	$\mu\text{m}$
$w_f$	0.7	0.8	0.8	0.7	0.8	0.8	$\mu\text{m}$
$\Delta w$	$\pm 125$	$\pm 73$	$\pm 35$	$\pm 125$	$\pm 73$	$\pm 35$	nm
$\Delta e$	$>\pm 200$	$>\pm 200$	$>\pm 200$	$>\pm 200$	$>\pm 200$	$>\pm 200$	nm
$\Delta g$	$>\pm 300$	$>\pm 300$	$>\pm 300$	$>\pm 300$	$>\pm 300$	$>\pm 300$	nm

The asymmetry  $\kappa$  of the ATG is defined as the fraction of power confined in each waveguide. We observe in Table 2 that for a separation layer of  $0.7 \mu\text{m}$  the asymmetry is very high: 99:01 for TE polarized light, and 98:02 for TM polarized light, making this configuration suitable for devices requiring high confinement in the active layers. The asymmetry is reduced to 86:14 and 82:18, respectively, for  $d = 0.3 \mu\text{m}$ .

The parameter  $M$  is defined as the fraction of the power transferred from the fundamental even mode  $\psi_e$  to the odd mode  $\psi_o$ . We observe a smaller ratio for TM polarization due to its lower resonant width compared to TE polarization.

The parameter  $T$  states the coupling transformation efficiency in %. The polarization independent devices show efficiencies of 98, 96 and 90% for the three separation thicknesses respectively. Next in Table 2, are the total lengths  $L_{\text{total}}$  of the vertical couplers and, in spite of being redundant, the resonance widths  $w_i$  are also shown. The reason is to provide a clearer comparison with the lengths  $L_{\text{adia}}$  and minimum taper tips  $w_f$  that adiabatically designed tapers would need to reach the previously mentioned efficiencies. Length reduction ratios of 5.8 (140/24), 5, (245/49) and 3 (272/90) are obtained for the three InP layer thicknesses  $d$ : 0.3, 0.5 and  $0.7 \mu\text{m}$ , respectively. Figure 6 shows the efficiency of the resonant coupler compared to the efficiency of the adiabatic design as a function of the coupler total length for  $d = 0.5 \mu\text{m}$ . A fully periodic response is obtained for the bimodal coupler, whereas a smoother and continuously increasing efficiency is provided by the adiabatic tapers. Coupled mode theory has been used to design optimized adiabatic tapers [11]. Regarding the final taper tips  $w_f$  required in the adiabatic design, submicron features are needed in all three designs ( $\leq 0.8 \mu\text{m}$ ). Contrary to that, since the proposed design is fully resonant, it abruptly cuts the upper waveguide at the beating length, when the width  $w_b$  is still higher than  $1 \mu\text{m}$  (see Table 2).

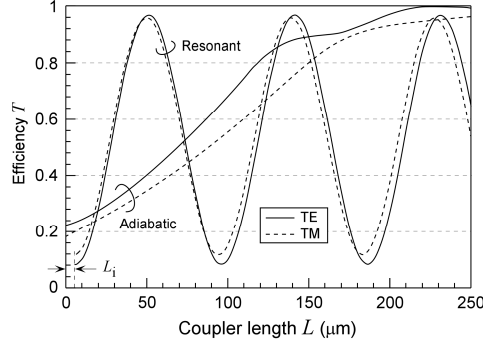


Fig. 6. Comparison of the taper efficiency as a function of length between the resonant coupling and adiabatic approaches.

We have performed a set of simulations to investigate the influence of changes in the width of the coupler  $\Delta w$ , the etching depth  $\Delta e$  and misalignments between both waveguides  $\Delta g$ , taking the efficiency  $T$  as a figure of merit. The last three rows in Table 2 show the 1-dB tolerance for these parameters. The resonant coupler concept performs strongly against etching depth and alignment variations, while being far more sensitive to width variations. Figure 7 plots the efficiency of the three designs as a function of changes in the width of the coupler waveguides. More relaxed values are obtained for thinner intermediate InP layers, allowing  $\pm 125$  nm for the  $d = 0.3$   $\mu\text{m}$  design.

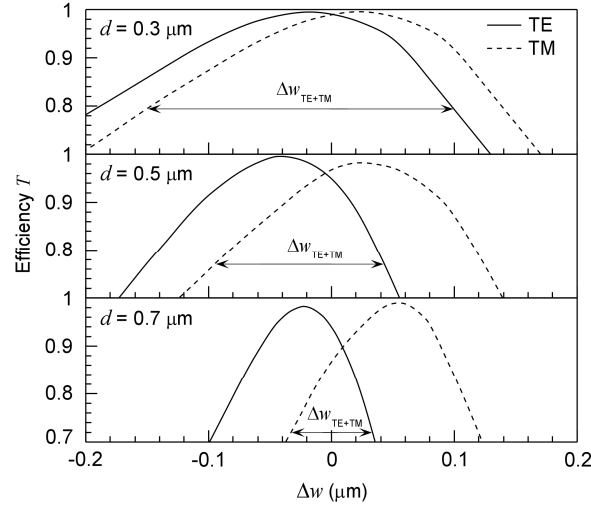


Fig. 7. Coupler efficiency as a function of width variations for three different separation layer thicknesses  $d$  and for both polarizations.  $\Delta w = 0$  represents the polarization independent design, whereas the peaks would be chosen if only one polarization had to be optimized.

We observe a symmetrical increase of the efficiency around the optimum width  $w_b$ ; therefore, if instead of taking into account a polarization independent component, only one polarization had to be optimized, the efficiencies would easily reach 98% (less than 0.1 dB loss) and the width alignment tolerances would be somewhat higher: around  $\pm 145$ ,  $\pm 100$ ,  $\pm 60$  for 0.3, 0.5, 0.7 InP layer thicknesses, respectively.



## 5. Conclusion

In this work, we have presented highly efficient and polarization independent compact mode coupling between an active waveguide and a passive waveguide using fully bimodal interference. Modal transformation losses as low as 0.1 dB have been achieved using much shorter lengths than the adiabatic approach. The concept avoids submicron photolithographic features and show acceptable fabrication tolerances.

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